

An Efficient Traceable Attribute-based Authentication Scheme with One-time Attribute Trees

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1 Motivations

2 Background Knowledge

- Attribute-based authentication (ABA)
- Two types of ABA Schemes
- Attribute tree

3 The Proposed Scheme

- ABA workflow
- System setup
- Signature generation, verification and opening

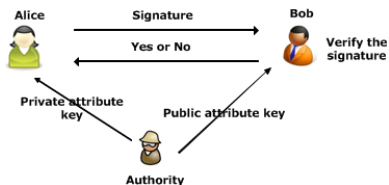
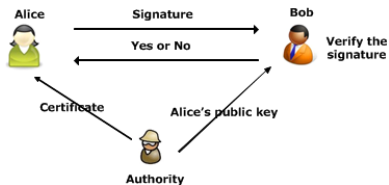
4 Conclusions

- Anonymous authentication: users may want to be authenticated without revealing their identity information to the authenticator.
- More flexibility and less cost: save cost for attribute tree and attribute key regeneration when attribute requirements change.

ABA introduction

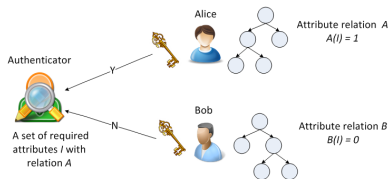
PKI-based authentication: one public key, one private key

ABA: one public attribute key, one/multiple private attribute key(s)

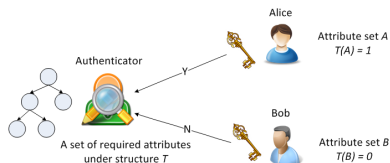


Two types of ABA schemes

Type 1:



Type 2:



Attribute trees (1)

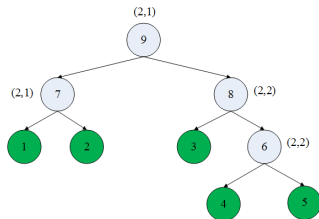
Represent logical “AND” & “OR”.

Leaves represent attributes; interior nodes represent threshold.

Build related polynomials from top to down.

Interior nodes x are assigned with polynomials with degree $k_x - 1$; leaves with constant values.

1. Root: $q_{root}(0) = \alpha$.
2. Interior node x : $q_x(0) = q_{par(x)}(ind(x))$



Attribute trees (2)

Example:

$$(att_1 \vee att_2) \vee (att_3 \wedge (att_4 \wedge att_5))$$

$$\alpha = 15 \quad q_9(0) = 15 \quad q_9(x) = 15$$

$$q_7(0) = q_9(7) = 15 \quad q_7(x) = 15$$

$$q_8(0) = q_9(8) = 15 \quad q_8(x) = x + 15$$

$$q_1(0) = q_7(1) = 15$$

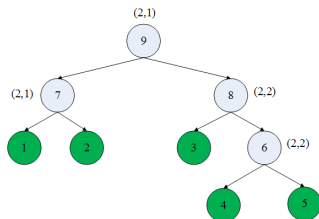
$$q_2(0) = q_7(2) = 15$$

$$q_3(0) = q_8(3) = 18$$

$$q_6(0) = q_8(6) = 21 \quad q_6(x) = 2x + 21$$

$$q_4(0) = q_6(4) = 29$$

$$q_5(0) = q_6(5) = 31$$



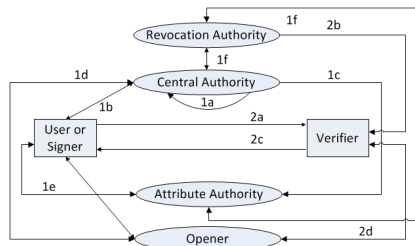
The Proposed Scheme

ABA workflow

- System setup: 1-a, 1-c, 1-d,
 - User key generation: 1-b
 - Attribute key generation: 1-f
 - User attribute key generation: 1-e
- Signature generation and verification
 - Attribute tree generation
 - Signature generation: 2-a
 - Signature verification: 2-b, 2-c
 - Signature opening: 2-d

Main security requirements:

- Anonymity
- Traceability



The Proposed Scheme

System setup

- System public key set: $S_{pk} = \langle G, G_1, g, g_1, h, u, v, w_0 = g^{x_0} \rangle$.
- System private key set: $S_{sk} = \langle x_0, tk \rangle$, where $tk = \langle \xi_1, \xi_2 \rangle$ is the tracking key.
- User U_i 's key base: $\langle A_i, x_i \rangle$, where $A_i = g^{1/(x_0+x_i)}$.
- System attribute set: $\Psi = \{att_1, \dots, att_m\}$.
- System private attribute key set: $S_{Ask} = \langle t_1, \dots, t_m \rangle$.
- System public attribute key set: $S_{Apk} = \langle g^{t_1}, \dots, g^{t_m} \rangle$.
- User attribute key for attribute att_j : $T_{ij} = g^{x_i} H(att_{ij})^{t_j}$.

Signature generation, verification and opening

- Attribute selection and attribute tree generation:

$$K_v = e(g, w_0)^\alpha = e(g, g)^{\alpha x_0}$$

$\{\Gamma', g^\alpha, \forall y \in \text{Leaf}(\Gamma') : C_y, C'_y\}$, where $C_y = g^{q_y(0)}$ and $C'_y = H(y)^{q_y(0)}$.

- Signature generation:

Recover K_v as K_s from message $\{\Gamma', g^\alpha, \forall y \in \text{Leaf}(\Gamma') : C_y, C'_y\}$

Compute Signature $\sigma = \langle M, C_1, C_2, C_3, c, s_\zeta, s_\beta, s_\alpha, s_{\delta_1}, s_{\delta_2} \rangle$.

- Signature verification:

Recover c as c' and check whether $c = c'$ holds.

- Signature opening:

$A_i = C_3 / (C_1^{\varepsilon_1} C_2^{\varepsilon_2})$, using tracing key $tk = \langle \xi_1, \xi_2 \rangle$.

- Proposed a traceable ABA scheme: flexible and efficient attribute tree generation
- The scheme provides both anonymity and traceability.
- Allow frequent attribute requirements change without increasing storage and computation costs.

Q&A?